

Sec 1H Unit 5 Day 1 – What Is a Function? Classwork

1. The Soda Machine

The soda machine in the faculty room offers several types of soda. There are two buttons for your favorite drink, *Blast*, while the other drinks (*Slurp*, *Lemon Twister*, and *Diet Slurp*) each have one button.

- What are the input and output of this soda machine? This is called the domain and range.
- While buying a soda, Ms. Whitney pushed the button for *Lemon Twister* and got a can of *Lemon Twister*. Later she went back to the same machine, but this time pushing the *Lemon Twister* button got her a can of *Blast*. Is the machine functioning consistently? Why or Why not?
- When Mr. Smith pushed the top button for *Blast* he received a can of *Blast*. Mr. Garcia decided to be different and pushed the second button for *Blast*. He, too, received a can of *Blast*. Is the machine functioning consistently? Why or Why not?
- When Ms. Call pushed a button for *Slurp*, she received a can of *Lemon Twister*! Later Ms. Webb also pushed the *Slurp* button and received a can of *Lemon Twister*. Still later, Ms. Webb noticed that everyone else who pushed the *Slurp* button received a *Lemon Twister*. Is the machine functioning consistently? Explain why or why not.
- When a relation is functioning consistently and predictably, we call that relation a function. Write a definition of a function:

There are five different ways to represent a relationship in mathematics:

- Ordered pairs (points)
- Table
- Graph
- Mapping
- Equation

Each of these shows the connection between the input (domain) and the output (range).

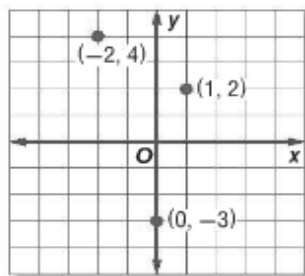
**Ordered Pairs**

- (1, 2)
- (-2, 4)
- (0, -3)

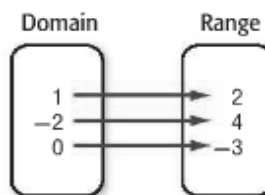
**Table**

<i>x</i>	<i>y</i>
1	2
-2	4
0	-3

**Graph**



**Mapping**



**Equation**

$$y = 3x$$

How do you say this notation?  $f(x)$

What does it mean?

2. When are ordered pairs NOT a function?

3. When is a table NOT a function?

4. When is a graph NOT a function?

5. When is a mapping NOT a function?

6. When is an equation NOT a function?

The **domain** is the set of **x's** being used in a relation or function. The **range** is the set of **y's**. To write the domain and range, use set-builder notation: curly brackets around the list or the inequality. For example, the domain for this table could be written as  $D = \{7, -2, 0, 4, 9, -3, 6\}$ .

x	7	-2	0	4	9	-3	6
y	6	-3	4	2	10	-3	0

The range could be written as  $R = \{6, -3, 4, 2, 10, 0\}$

When writing the domain and range, don't write any duplicates twice. Once is enough. It is also good manners to write the numbers from least to greatest in the list.

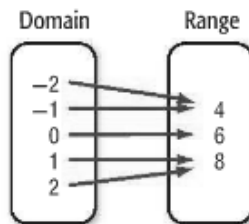
**7. Examine each of the relations below. With each relationship, properly state the domain and range. Compare the inputs and the outputs and determine if the relation is a function.**

a.

x	3	-1	2	0	1	2	9
y	4	-5	9	7	4	-8	2

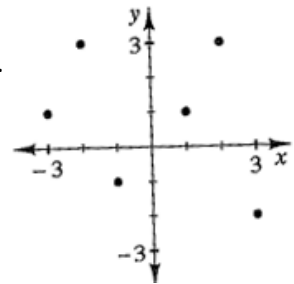
Domain:  
Range:  
Function (Y/N):

b.



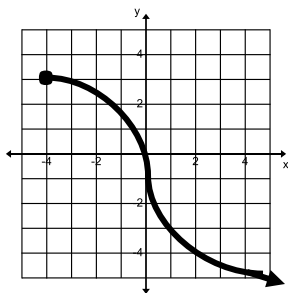
Domain:  
Range:  
Function (Y/N):

c.



Domain:  
Range:  
Function (Y/N):

d.



Domain:  
Range:  
Function (Y/N):

e.

(1, 2) (-2, 4) (3, 2)

Domain:  
Range:  
Function (Y/N):

9. If  $g(m) = 3m - 5$ , give the value for each problem listed below.

a.  $g(-2) =$

b.  $g(4) =$

c.  $g(6) =$

d.  $g(x) =$